

Bs $\rightarrow \mu + \mu$ - in LHCb

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Motivation



- LHCb conditions
- Soft Bs $\rightarrow \mu\mu$ selection
- N-counting method Backgrounds



- Exclusion/discovery potential of LHCb
- Normalization effect
- mSUGRA examples



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аµ - аµ(SM)



<u>BR (Bs $\rightarrow \mu\mu$)</u>

•Accurate SM prediction: $(3.4 \pm 0.5) \ 10^{-9} \ ^{(*)}$

•Could be **enhanced** by tan⁶ß (**SUSY**)

•CMSSM: Relation with *Muon Anomalous Magnetic Dipole Moment* $a_{\mu} = (g - 2)/2$ Current value of a_{μ} $a_{\mu}(SM) \rightarrow \text{ if } \tan \beta \sim 50$ gaugino mass are in ~400 $- 600 \text{ GeV} \rightarrow \text{BR}(\text{Bs} \rightarrow \mu\mu) \sim 1-4 \ge 10^{-8}$

CMSSM, $\mu > 0$ CMSSM, $\mu > 0$ tanβ = 10 50 $\tan\beta = 10$ • $tan\beta = 50, A_0 = 0$ • $tan\beta = 50, A_0 = 0$ $\tan\beta = 50, A_0 = +m_{1/2}$ $\tan\beta = 50, A_0 = +m_{1/2}$ $\tan\beta = 50, A_0 = -m_{1/2}$ 40 10 $\tan\beta = 50, A_0 = -m_{1/2}$ д, • $tan\beta = 50, A_0 = +2 m_{1/2}$ [10⁻¹⁰] $\tan\beta = 50, A_0 = +2 m_{1/2}$ п. $\tan\beta = 50, A_0 = -2 m_{1/2}$ Ą 30 $\tan\beta = 50, A_0 = -2 m_{1/2}$ лк(b_s. Δa_{μ} 20 10 **SM** prediction 10 200 400 600 600 800 1000 1200 1400 200 400 800 1000 1200 1400 m_{1/2} [GeV] m_{1/2} [GeV]

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•Sensitive to several other models

(*) A.Buras et. al. Phys.Lett.B. 566 (2003) 115

LHCb conditions



- •b produced at low angle
- •L ~ 2- 5 x 10 32 cm⁻²s⁻¹
- •~5 x 10^{11} bb/fb⁻¹

•Trigger dedicated to select b events (~90% for reconstructed Bs $\rightarrow \mu\mu$)

•Total efficiency on Bs $\rightarrow \mu\mu$ (detection + reconstruction + trigger + selection) ~ 10 %

The LHCb detector: single arm forward spectrometer: 15-300 mrad (1.9 <η<4.9)



LHCb conditions (II). Tracking & muon IDentification

•Excellent tracking resolution

•Invariant Mass Resolution in BS peak ~ 18 MeV

 \rightarrow Reduction of search window (less background)

•LHCb muon ID variable (s) : DLL($\mu - \pi$), DLL($\mu - K$)... Combines Muon System & Calorimeters info (& RICH for kaons) \rightarrow 95 % *efficiency for 0.6 % of missID pions*

(hits in certain Field Of Interest (depending on p) in M.Chambers are required before use DLL)





<u>Bs → µµ Event Selection</u>



•Very soft cuts are applied in order to keep most of the signal events, but removing an important amount of background

- ~ 400 K background events/fb⁻¹ expected after selection - and 35.4 Bs $\rightarrow \mu\mu$ for SM BR.
- •But **most** of these 400 K **are not significant**, (see next slides)





N- counting Experiment



Counting: Take a variable (or a set of), make some cuts and look at the surviving events

N-Counting: Do not cut in your set of variables, but make a counting bin - by - bin.

Bs $\rightarrow \mu\mu$ Analysis: N-Counting in a 3D space, composed by:

→ Geometrical líkelíhood: [0,1]
 → PID Líkelíhood: [0,1]
 (Combines DLL(µπ) DLL(µK) of both 'muons')
 → Invaríant Mass: [-60, +60] around Bs þeak



Geometrical Variables

- lifetime
- muon Impact Parameter Significant (IPS)
- **DOCA**: distance between tracks making the vertex
- B Impact Parameter (IP) to PV

• **Isolation:** Idea: muons making fake $Bs \rightarrow \mu\mu$ might came from another SV's \rightarrow For each muon; remove the other μ and look at the rest of the event: How many good - SV's (forward, DOCA, pointing) can it make?





Method for variable-combination

•For constructing Geometry & PID likelihoods, we have made some operations over the input variables. Trying to make them uncorrelated

•A very similar method is described by Dean Karlen, *Computers in Physics Vol 12, N.4, Jul/Aug 1998*

•The main idea:



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→n variables which,
for signal, are
independent and
Gaussian (sigma 1) distributed

 $\rightarrow \chi^2_{\rm S} = \Sigma {\rm S_i}^2$

→ same, but for background → $\chi^2_B = \Sigma b_i^2$

 $\chi^2 = \chi^2_S - \chi^2_B$

And made it uniform for signal (\rightarrow flat distribution)

N- counting Experiment (II): Backgrounds





•Geometry (GL) $\leq 0.5 \rightarrow$ large background

•b \rightarrow µ b \rightarrow µ % in bb sample increases with geometry

- identified as main source of background

- < 210 evts/fb $^{-1}$ @ 90 % CL for GL > 0.5



N- counting Experiment (II): B → h+h- background



 \rightarrow Decays in flight degraded in mass and geometry

→Wrong particle mass assignation causes also a mass degradation

B →hh <u>NEGLIGIBLE</u> (~ 2 evts) in comparison to ~210 evtents/fb-1 from b →µ b →µ)

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LHCh

→Was shown that probability to missid a pion from $B \rightarrow \pi\pi$ is ~ 0.6 %

 \rightarrow 'Survivors' still fall in low PIDL values.





•Using $B+ \rightarrow J/\Psi K+$ and $Bs \rightarrow J/\Psi \Phi$

•Implies uncertainties of ~14 % (due to uncertainty in b quark hadronization) in 1st case and ~ 35 % in 2nd (due to uncertainty in Bs \rightarrow J/ $\Psi\Phi$ BR)

•Uncertainties in the number of events for both normalization channels are completely negligible in comparison with those above



Some mSUGRA-implications examples

CMSSM parameter values chosen:

calculations using the program SoftSUSY from Ben Allanch (Cambridge) ; BR's computed using program from Athanasios Dedes (Durham) $m_{1/2} \text{ in } [0, 1400 \text{ GeV}]$ $m_0 \text{ in } [0, 1400 \text{ GeV}]$ $A_0 = 0$ $\mu > 0$

Other constraints: h0 > 114 GeV $mW = 80.398 \pm 0.025 \text{ GeV}$





Backup Slides





