## $\underline{B s \rightarrow \mu+\mu-\text { in } L H C b}$

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PROGRAMA NACIONAL DE BECAS FPU

## 四禺USC

- Motivation

- LHCb conditions
- Soft Bs $\rightarrow \mu \mu$ selection
- N-counting method

Backgrounds


- Exclusion/discovery potential of LHCb
- Normalization effect
- mSUGRA examples
$a \mu-a \mu(S M)$
- Accurate SM prediction: $(3.4 \pm 0.5) 100^{-9}\left(^{*}\right)$
-Could be enhanced by $\tan ^{6} \beta$ (SUSY)
-CMSSM: Relation with Muon Anomalous
Magnetic Dipole Moment $\mathrm{a}_{\mu}=(\mathrm{g}-2) / 2$
Current value of $a \mu-$ $a \mu(S M) \rightarrow$ if $\tan \beta \sim 50$ gaugino mass are in $\sim 400$ $-600 \mathrm{GeV} \rightarrow \mathrm{BR}(\mathrm{Bs} \rightarrow$ $\mu \mu) \sim 1-4 \times 10^{-8}$
- Sensitive to several other models
$\underline{B R}(B s \rightarrow \mu \mu)$

(*) A.Buras et. al. Phys.Lett.B.
566 (2003) 115
-b produced at low angle
$\cdot \mathrm{L} \sim 2-5 \times 10{ }^{32} \mathrm{~cm}^{-2} \mathrm{~s}^{-1}$
$\bullet \sim 5 \times 10^{11} \mathrm{bb} / \mathrm{fb}^{-1}$
- Trigger dedicated to select b events ( $\sim 90 \%$ for reconstructed $\mathrm{Bs} \rightarrow \mu \mu$ )
-Total efficiency on $\mathrm{Bs} \rightarrow \mu \mu$ (detection + reconstruction + trigger + selection) $\sim 10 \%$

The LHCb detector: single arm forward spectrometer: $15-300 \mathrm{mrad}$ ( $1.9<\eta<4.9$ )


- Excellent tracking resolution
-Invariant Mass Resolution in BS peak $\sim 18 \mathrm{MeV}$
$\rightarrow$ Reduction of search window (less background)
-LHCb muon ID variable (s) : $\operatorname{DLL}(\mu-\pi)$, $\operatorname{DLL}(\mu-\mathrm{K}) \ldots$


Combines Muon System \& Calorimeters info (\& RICH for

$$
M\left(\mu^{+} \mu^{-}\right)\left[\mathrm{GeV} / \mathrm{c}^{2}\right]
$$

kaons) $\rightarrow \mathbf{9 5}$ \% efficiency for 0.6 \% of missID pions
(hits in certain Field Of Interest (depending on p) in M.Chambers are required before use DLL)

-Very soft cuts are applied in order to keep most of the signal events, but removing an important amount of background

- $\sim 400 \mathrm{~K}$ background events/fb ${ }^{-1}$ expected after selection - and 35.4 Bs $\rightarrow \mu \mu$ for SM BR.
-But most of these 400 K are not significant,
- Mass window: 60 MeV
- Vertex Chi2 < 14
-B IPS < 6
- Z $(\mathrm{SV}-\mathrm{PV})>0$
$\bullet$ pointing angle $<0.1 \mathrm{rad}$ - Hits in FOI's of Muon Chambers (see next slides)



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Counting: Take a variable (or a set of), make some cuts and look at the surviving events
$N$-Counting: Do not cut in your set of variables, but make a counting bin - by -bin.
$\mathrm{B}_{8} \rightarrow \mu \mu$ Analysis: $N$-Counting in a 3D space, composed by:
$\rightarrow$ Geometrical likelihood: $[0,1]$
$\rightarrow$ PID Likelihood: [0,1] (Combines DLL $(\mu \pi)$ D LL $(\mu K)$ of both 'muons')
$\rightarrow$ Invariant Mass: $[-60,+60]$
 around Bs peak

## Geometrical Variables

- lifetime
- muon Impact Parameter Significant (IPS)
- DOCA: distance between tracks making the vertex
- B Impact Parameter (IP) to PV
- Isolation: Idea: muons making fake $\mathrm{Bs} \rightarrow \mu \mu$ might came from another SV's $\rightarrow$ For each muon; remove the other $\mu$ and look at the rest of the event: How many
 good - SV's (forward, DOCA, pointing) can it make?



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## Method for variable-combination

-For constructing Geometry \& PID likelihoods, we have made some operations over the input variables. Trying to make them uncorrelated

- A very similar method is described by Dean Karlen, Computers in Physics Vol 12, N.4, Jul/Aug 1998
ninput variables

$$
(\mathbb{P}, D O C A \ldots)
$$

-The main idea:
$\rightarrow \mathrm{n}$ variables which, for signal, are independent and Gaussian (sigma 1) distributed
$\rightarrow \chi_{\mathrm{s}}{ }^{2}=\Sigma \mathrm{s}_{\mathrm{i}}{ }^{2}$
$\rightarrow$ same, but for background
$\rightarrow \chi_{\mathrm{B}}^{2}=\Sigma \mathrm{b}_{\mathrm{i}}{ }^{2}$
$\chi^{2}=\chi_{\mathrm{S}}^{2}-\chi_{\mathrm{B}}^{2}$
And made it uniform for signal $(\rightarrow$ flat distribution $)$

N-counting Experiment (II):

## Backgrounds



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(after selection, -but taking sidebands)
SearchWindow ( $\pm 60 \mathrm{MeV}$ )

$\rightarrow$ Decays in flight degraded in mass and geometry
$\rightarrow$ Wrong particle mass assignation causes also a mass degradation

$\rightarrow$ Was shown that probability to missid a pion from B $\rightarrow \pi \pi$ is $\sim 0.6 \%$
$\rightarrow$ 'Survivors' still fall in low PIDL values.

B $\rightarrow$ hh NEGLIGIBLE ( 2 evts) in comparison to $\sim 210$ evtents/fb-1 from $b \rightarrow \mu b \rightarrow \mu$ )

## LHCb potential

$\operatorname{BR}\left(\times 10^{-9}\right)$


No signal observed in $2008 \rightarrow \mathrm{BR} \leq \mathrm{BR}(\mathrm{SM})$

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DE EANTAGO de santiago
De compostel $\operatorname{BR}\left(x 10^{-9}\right)$

~end 2009

## Normalization

$\cdot$ Using $\mathrm{B}+\rightarrow \mathrm{J} / \Psi \mathrm{K}+$ and $\mathrm{Bs} \rightarrow \mathrm{J} / \Psi Ф$
-Implies uncertainties of $\sim 14 \%$ (due to uncertainty in $b$ quark hadronization) in $1^{\text {st }}$ case and $\sim$ $35 \%$ in $2^{\text {nd }}$ (due to uncertainty in $\mathrm{Bs} \rightarrow \mathrm{J} / \Psi \Phi \mathrm{BR}$ )

- Uncertainties in the number of events for both normalization channels are completely negligible in comparison with those above



## Some mSUGRA-implications examples

CMSSM parameter values chosen:
calculations using the program
SoftSUSY from Ben Allanch (Cambridge) ; BR's computed using program from Athanasios Dedes
(Durham )

$$
\begin{aligned}
& \mathrm{m}_{1 / 2} \text { in }[0,1400 \mathrm{GeV}] \\
& \mathrm{m}_{0} \text { in }[0,1400 \mathrm{GeV}] \\
& \mathbf{A}_{\mathbf{0}}=\mathbf{0} \\
& \boldsymbol{\mu}>\mathbf{0}
\end{aligned}
$$

Other constraints:

$$
\begin{aligned}
& \mathrm{h} 0>114 \mathrm{GeV} \\
& \mathrm{~mW}=80.398 \pm 0.025 \mathrm{GeV}
\end{aligned}
$$



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## Backup Slides



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Correlation for signal (very small for background)

independent Gaussian variables (for background)

examples1

signal independent Gaussian variables (for signal)
$\rightarrow$ Same procedure making a 2D Gaussian for Background
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